

Geoinformatics Laboratory, IIT Kanpur



AN INDIGENOUS DEVELOPMENT OF LAND BASED MOBILE MAPPING SYSTEM

India Geospatial Forum
2013

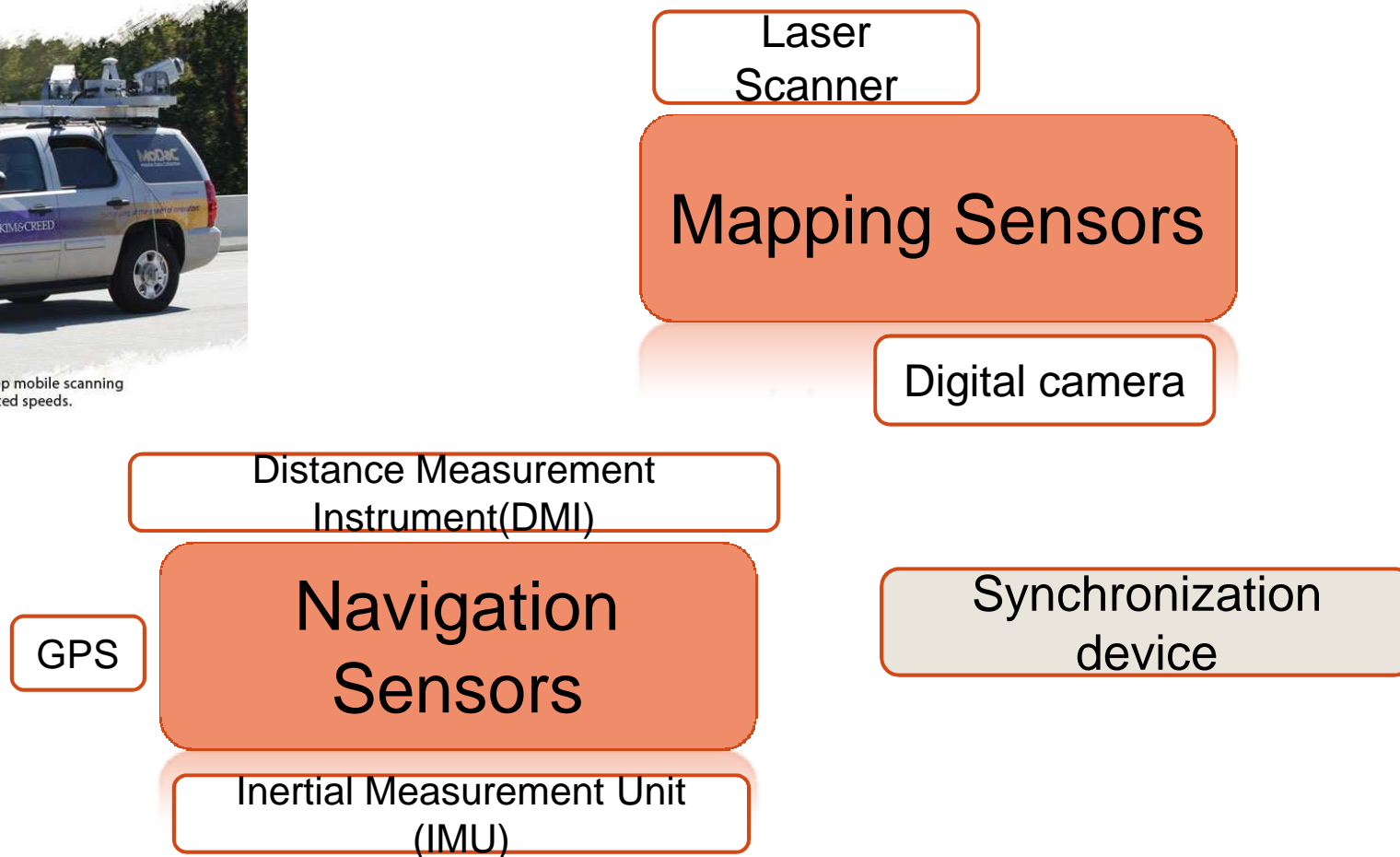
Salil Goel, Manohar Yadav, Anjani K. Singh and
Bharat Lohani

Mobile Mapping System

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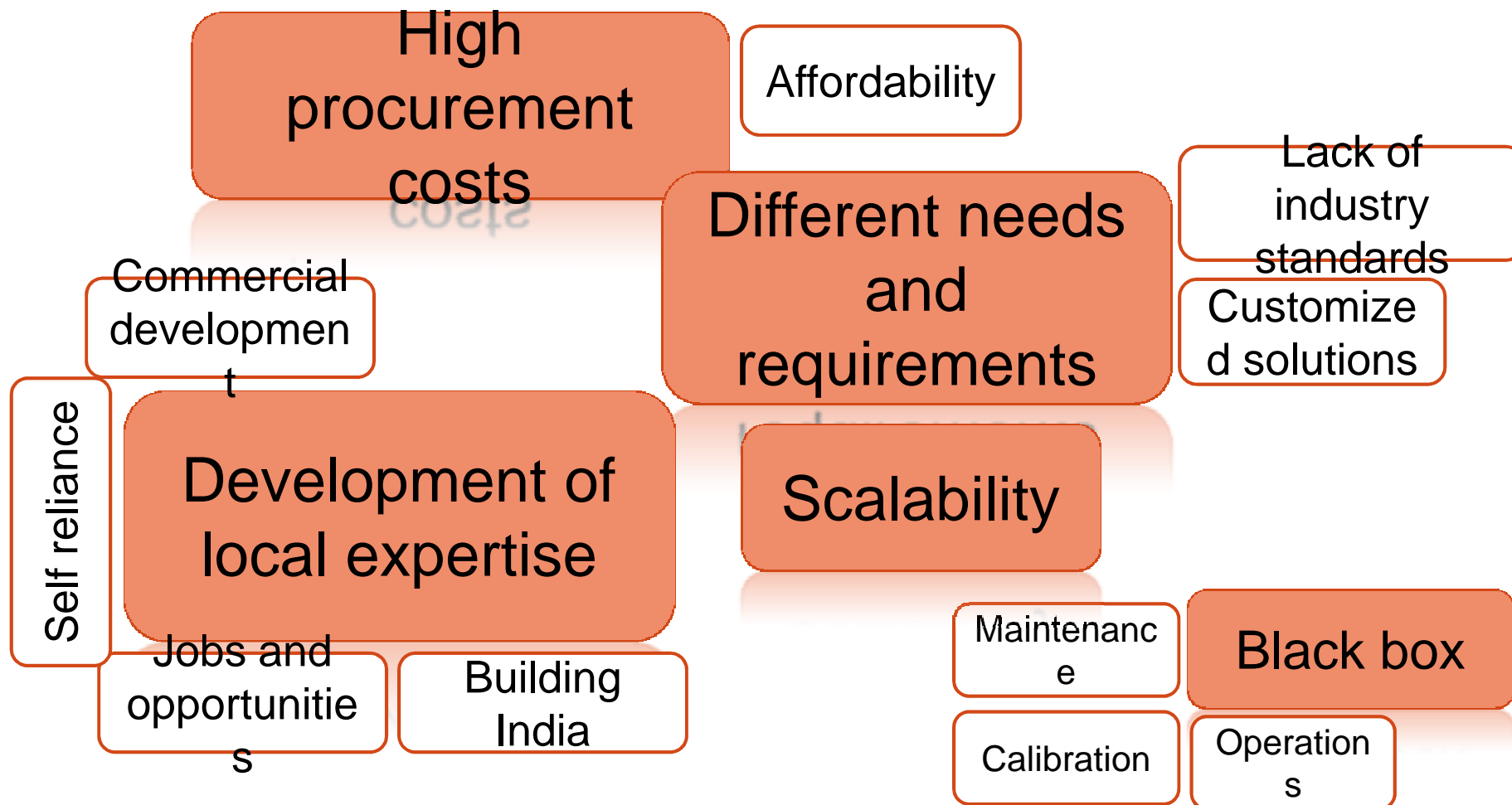
Sporting two lidar sensor heads, the rooftop mobile scanning system collects data while traveling at posted speeds.





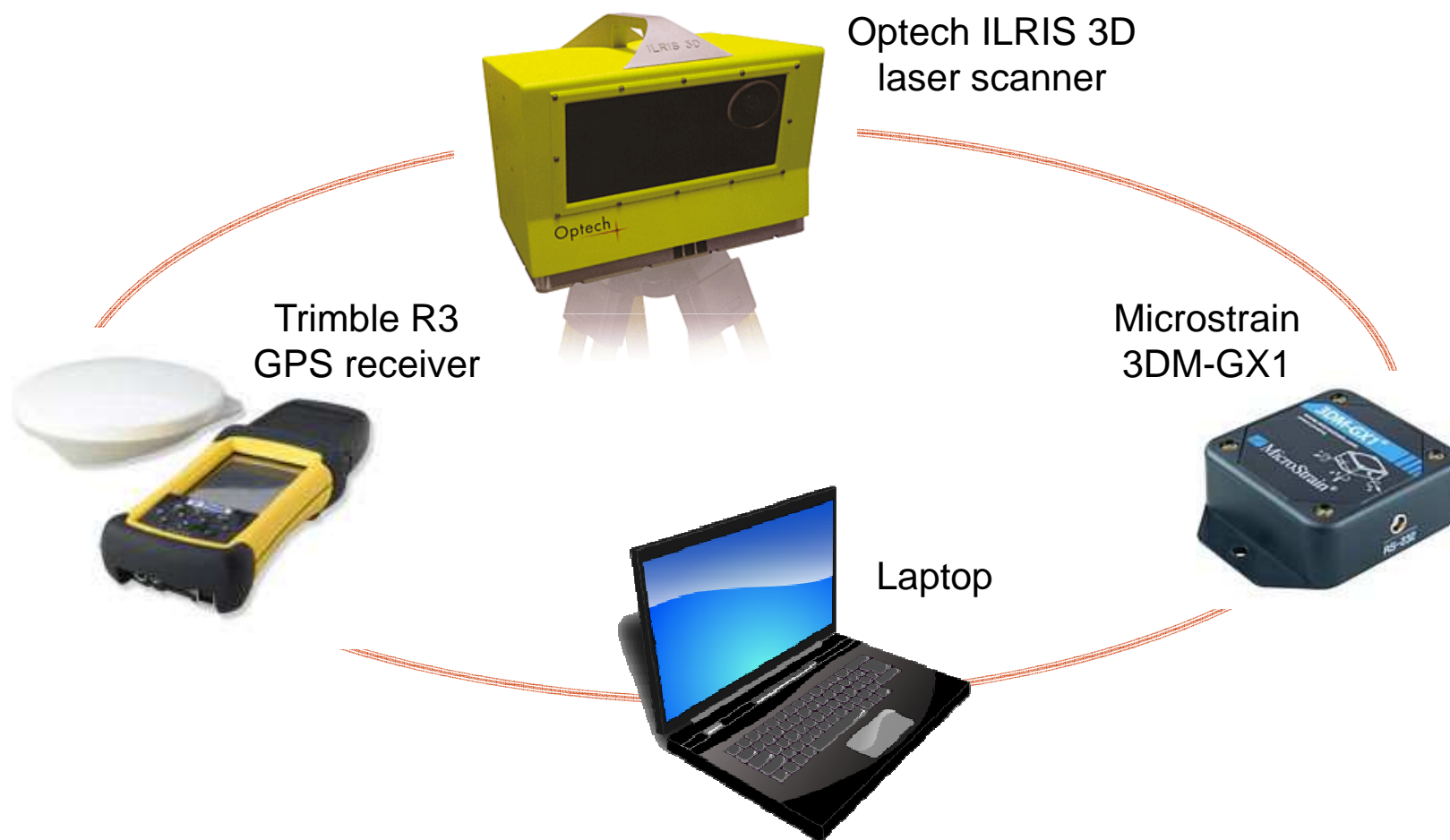
Need for development

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Components

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Feasibility analysis

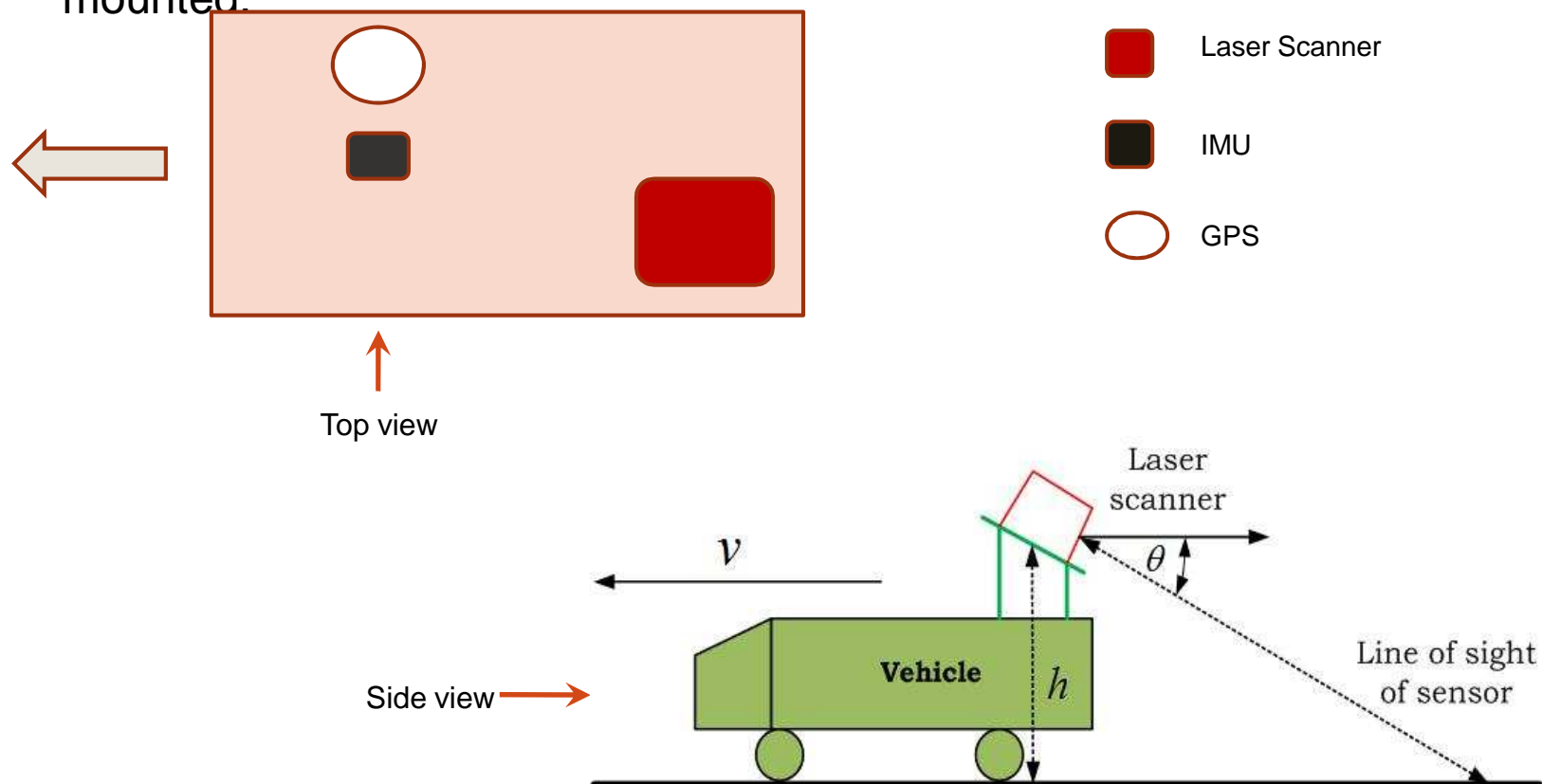
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- Component integration
- Equations for calibration and processing
- Simulations and testing

System Design

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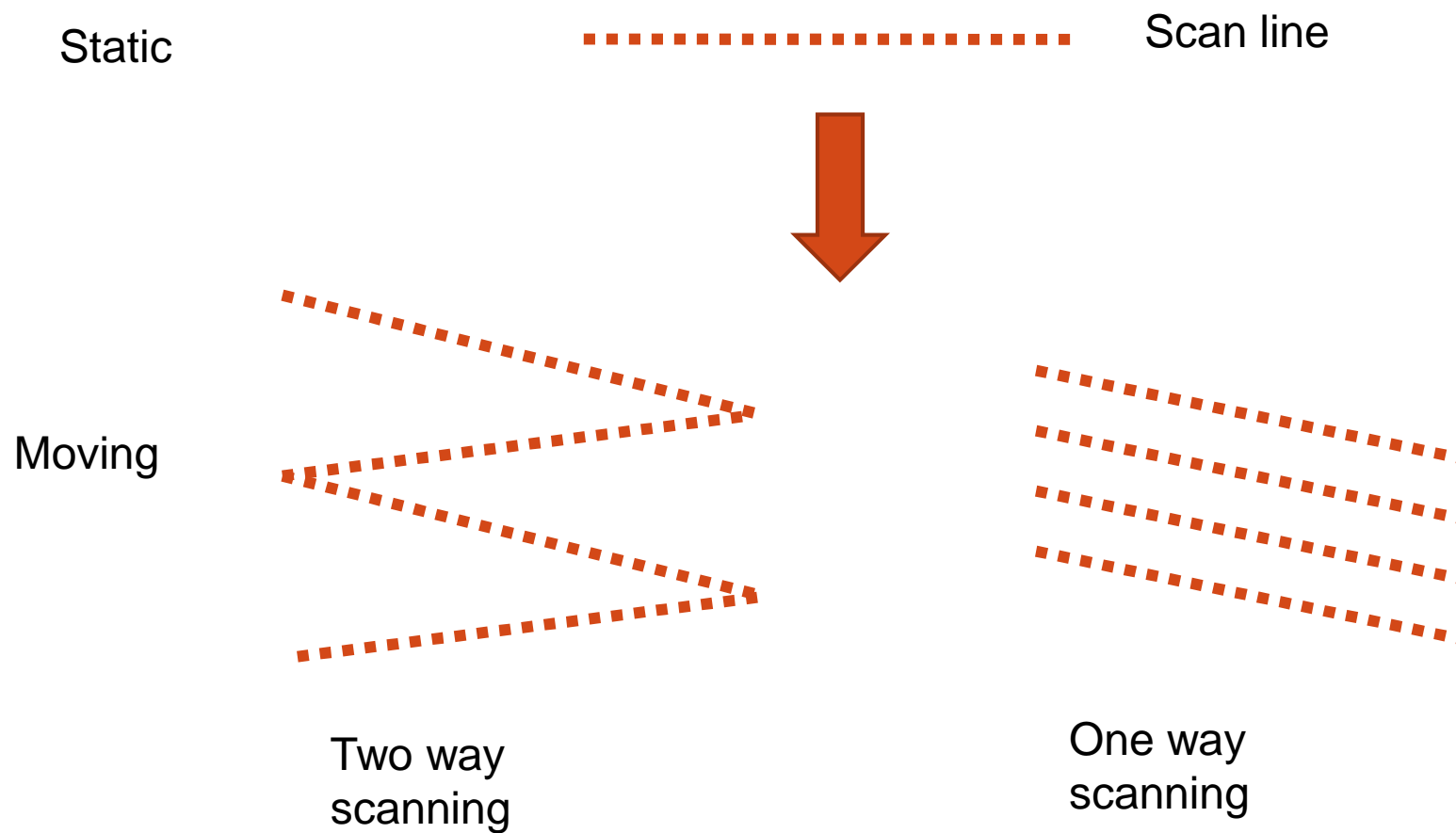
Determination of angles and heights at which instruments should be mounted.





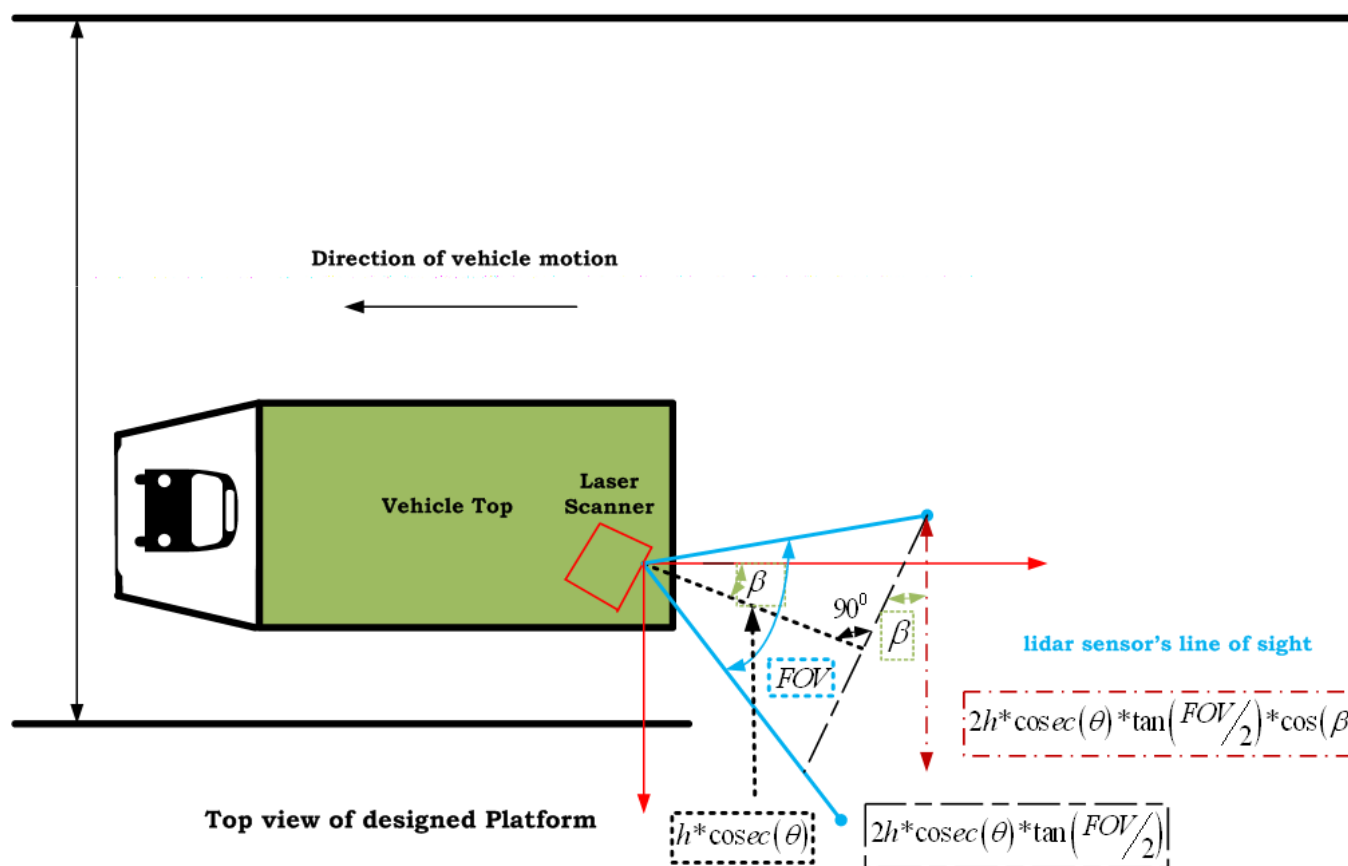
System Design

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System Design

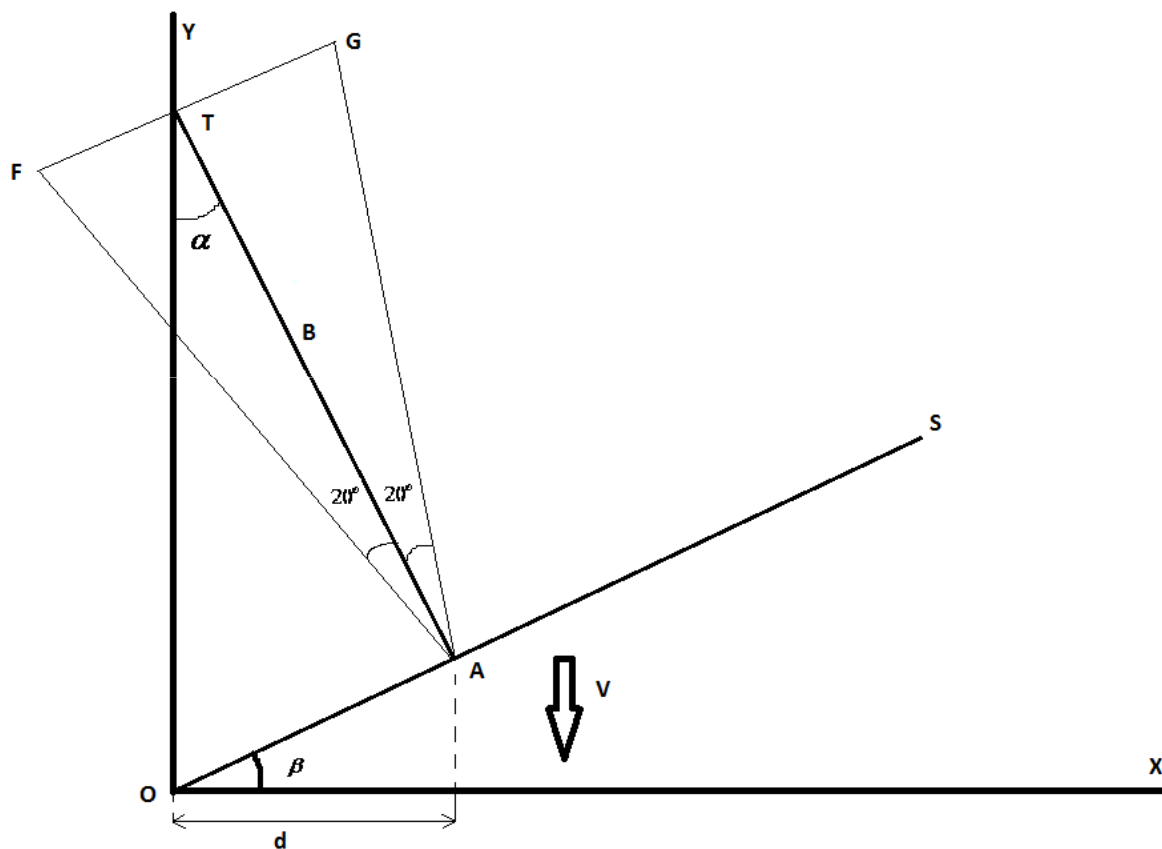
MMS: System Designing





System Design

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$$OS = (\cos \beta) * i + (\sin \beta) * j$$

$$OT = -\sin(\theta) * k + \cos(\theta) * j$$

$$OS * OT = |OS| * |OT| \cos(90 - \alpha)$$

$$\sin \alpha = \sin \beta * \cos \theta \quad \text{----- (1)}$$

$$\frac{B}{\sin(90 - \alpha)} = \frac{d \sec(\beta)}{\sin(\alpha)}$$

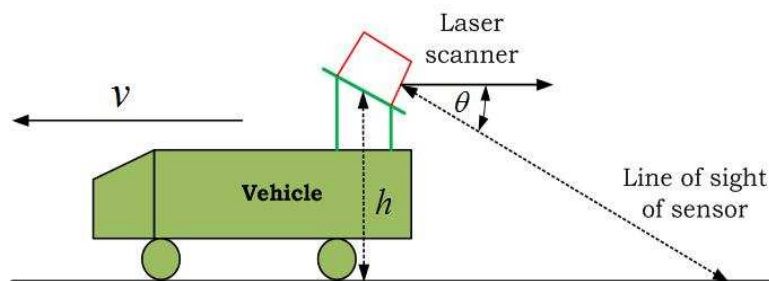
$$\tan \alpha = \frac{d \sec \beta}{B}$$

$$\alpha = \tan^{-1}\left(\frac{d \sec \beta}{B}\right) \quad \text{----- (2)}$$

System Design

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Solve equations (1) and (2) to compute angles.



$$h = 2.5m$$

$$d = 1.0m$$

Case 1

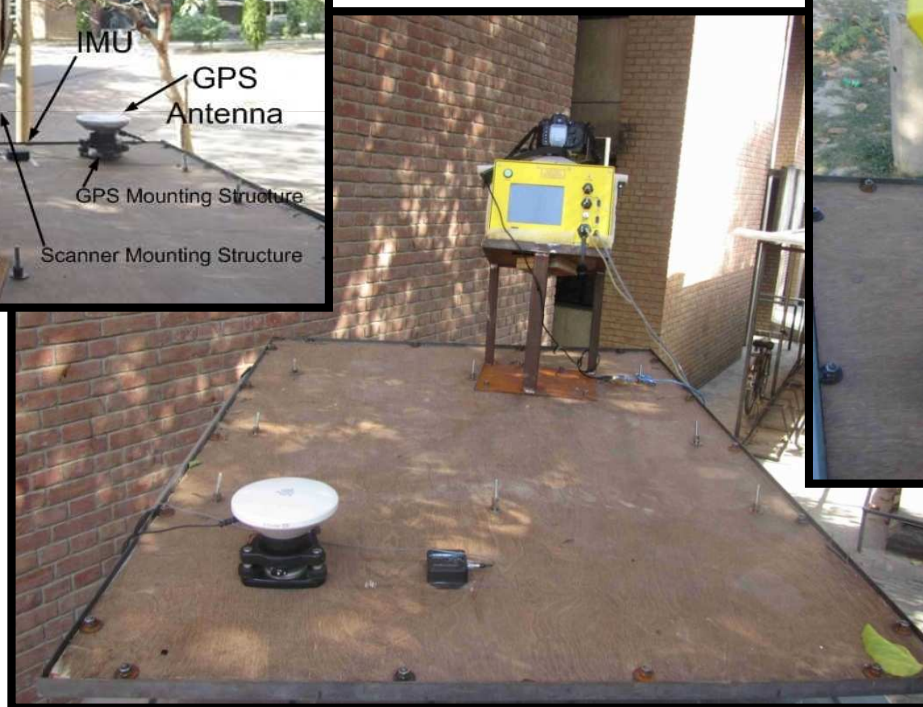
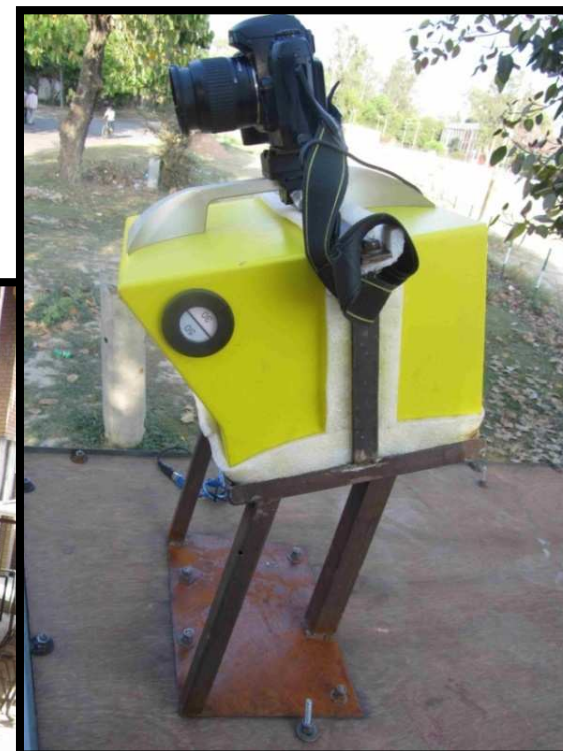
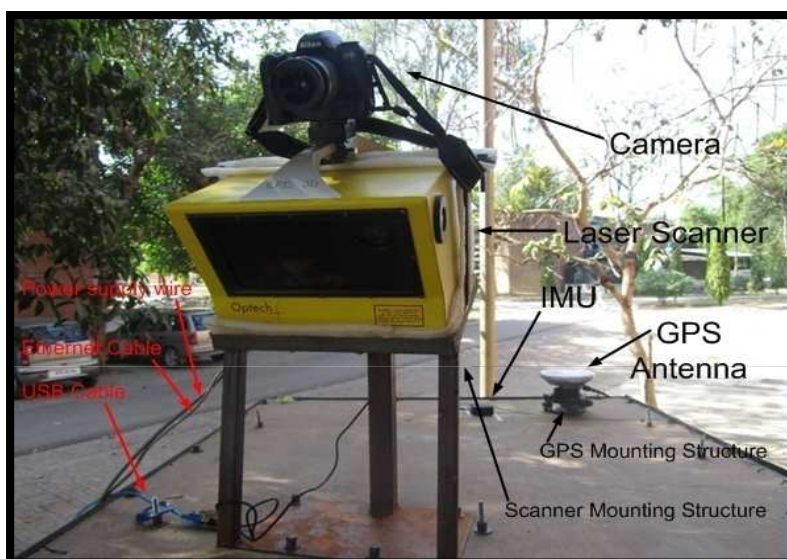
Case II

$\theta = 20^\circ$	$\theta = 30^\circ$
$\beta = 8.39^\circ$	$\beta = 13.4^\circ$
$\alpha = 7.87^\circ$	$\alpha = 11.6^\circ$
$W = 5.35 \text{ m}$	$W = 3.64 \text{ m}$

Increasing the tilt angle decreases the width of the scanned region.

Integration Infrastructure

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Integration Infrastructure

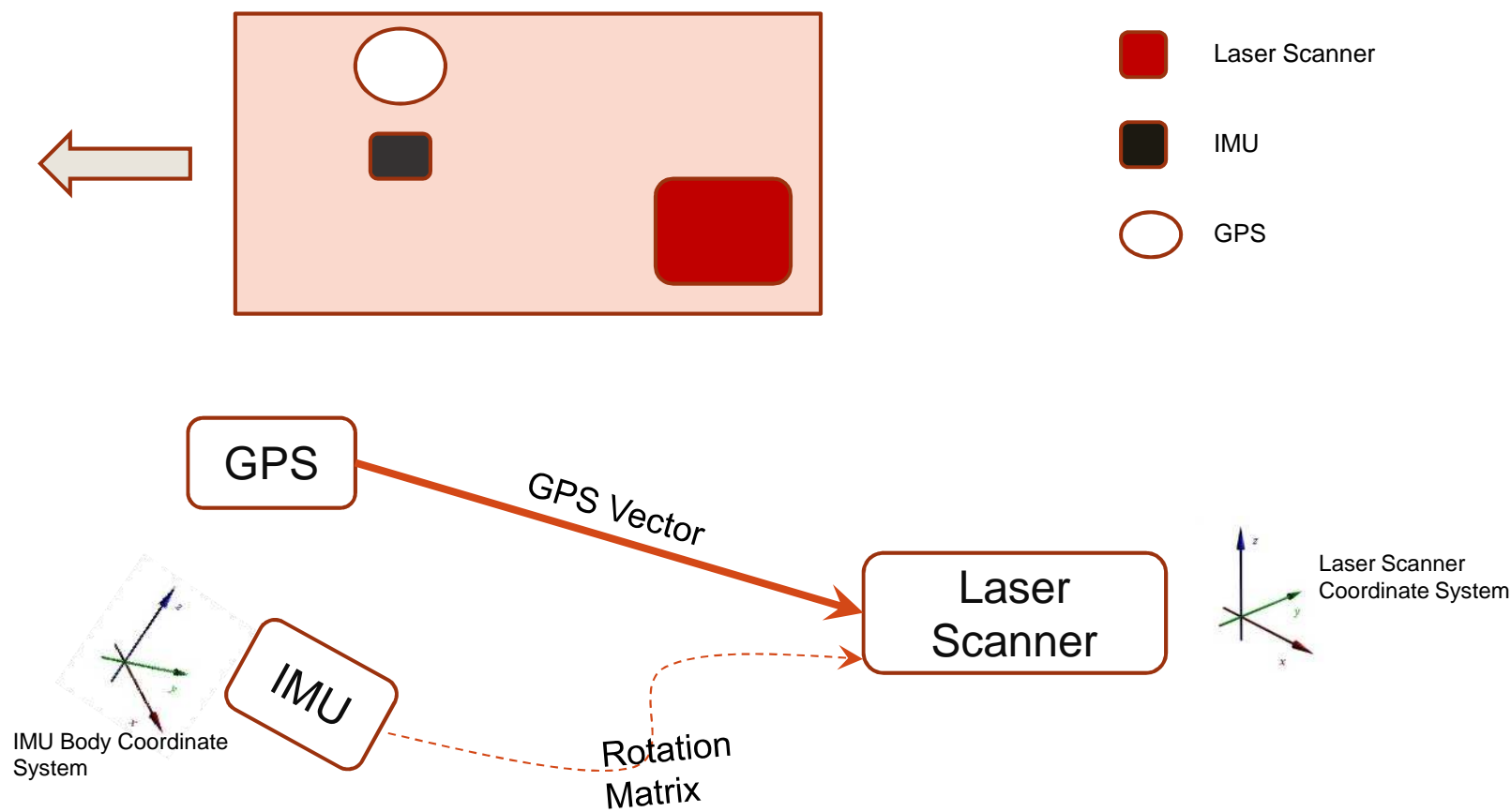
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System calibration

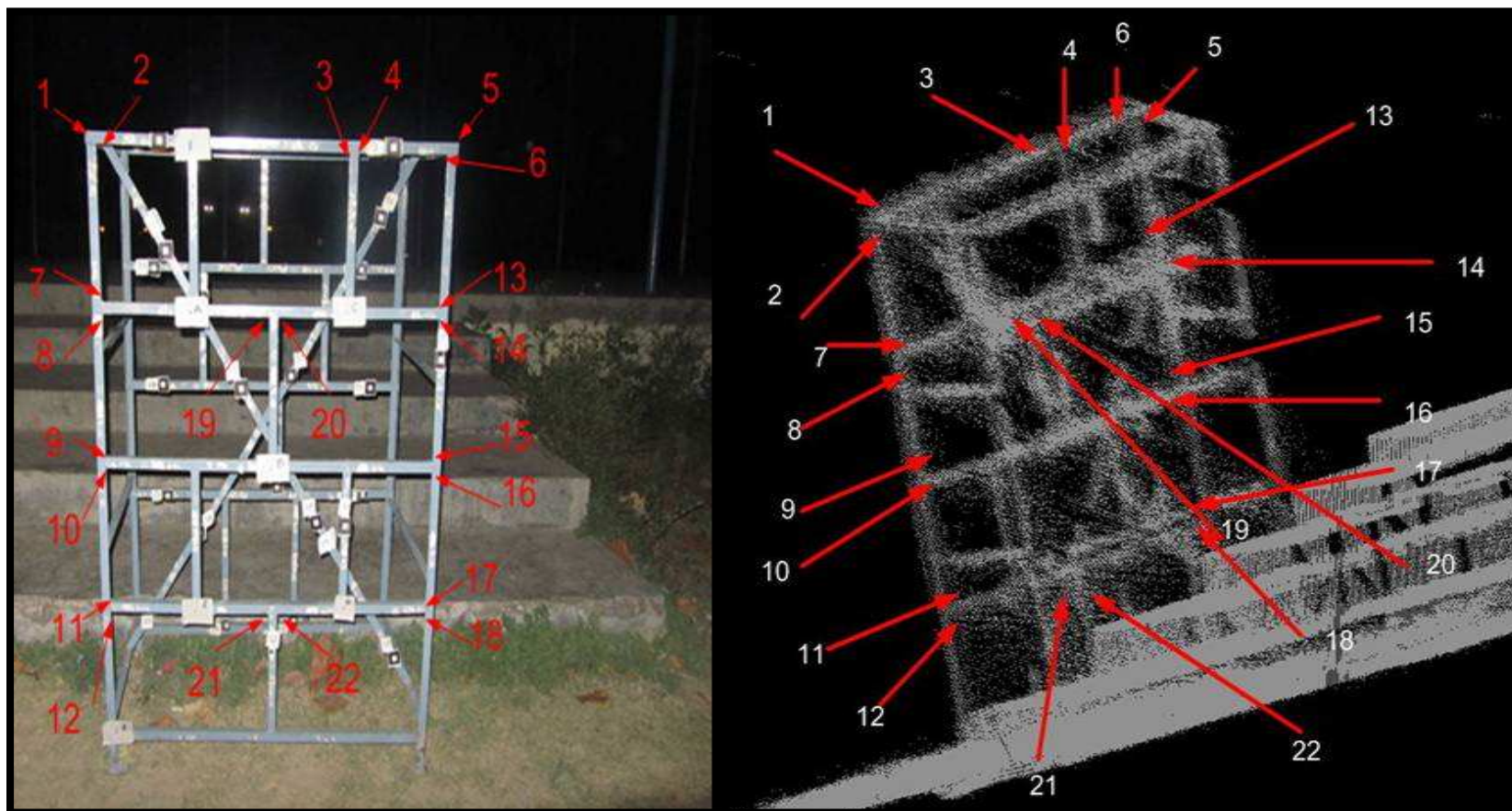
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Determination of GPS vector and Bore Sight values.



System calibration

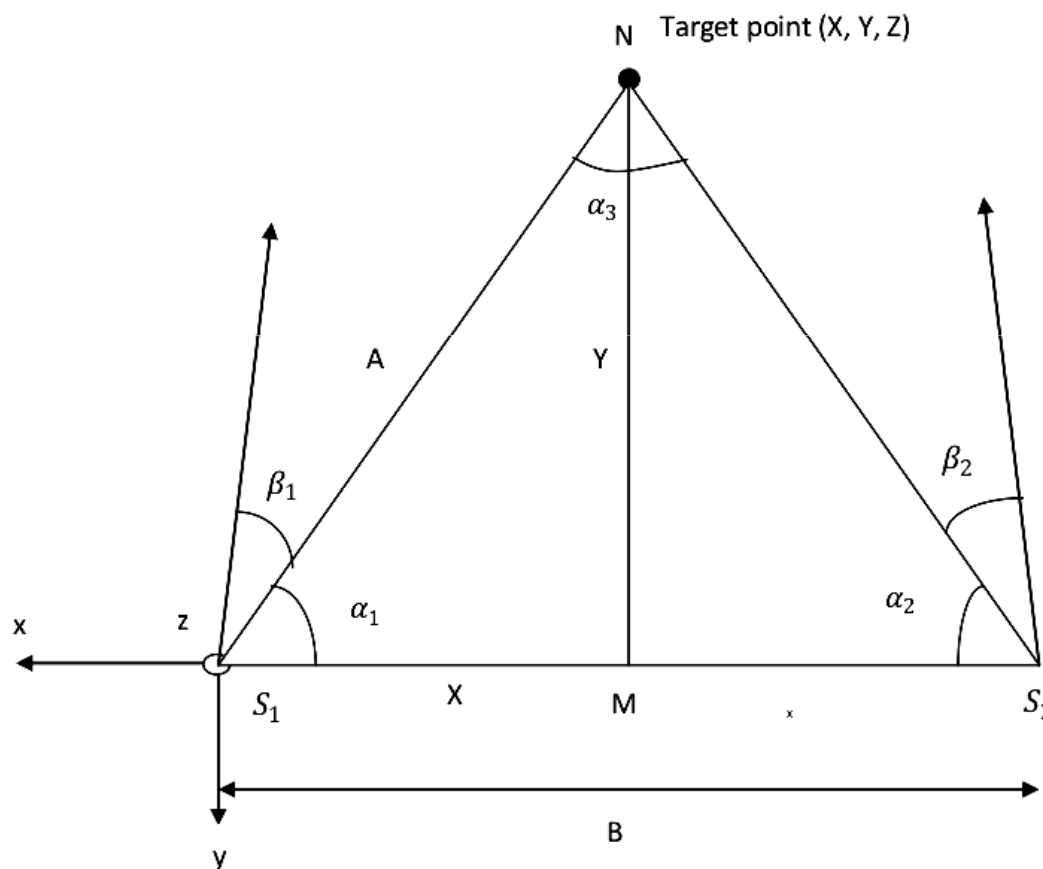
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System calibration

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$$\frac{A}{\sin(\alpha_2)} = \frac{B}{\sin(\alpha_3)}$$

$$A = B \frac{\sin \alpha_2}{\sin \alpha_3}$$

$$\alpha_3 = 180 - \alpha_1 - \alpha_2$$

$$x = A \cos \alpha_1$$

$$y = A \sin \alpha_1$$

$$z = A \tan \beta_1$$



System calibration

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Minimize the function to determine the calibration parameters.

$$F_i(l_a, c_a) = r_{global}(i) - r_{las}(i) \times R_{las}^{IMU} \times T_{las}^{GPS} \times M_{IMU}^{global}$$

$$M_{IMU}^{global} = R_{IMU}^{tan\,gential} \times R_{tan\,gential}^{global} \times T_{GPS}^{global}$$

$$T_{GPS}^{global} = T(X_{GPS}, Y_{GPS}, Z_{GPS})$$

To determine the parameters:

$$R_{las}^{IMU} = R_x(\alpha_0) \times R_y(\beta_0) \times R_z(\gamma_0)$$

$$offsetvector = [dx, dy, dz]$$

Test field

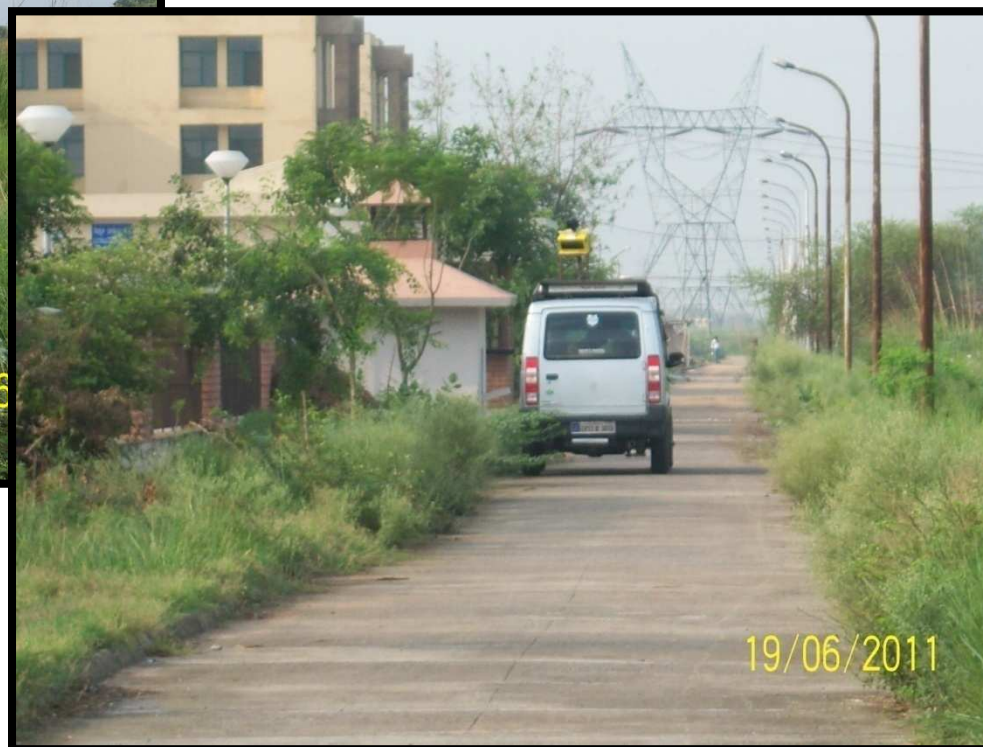
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Test field

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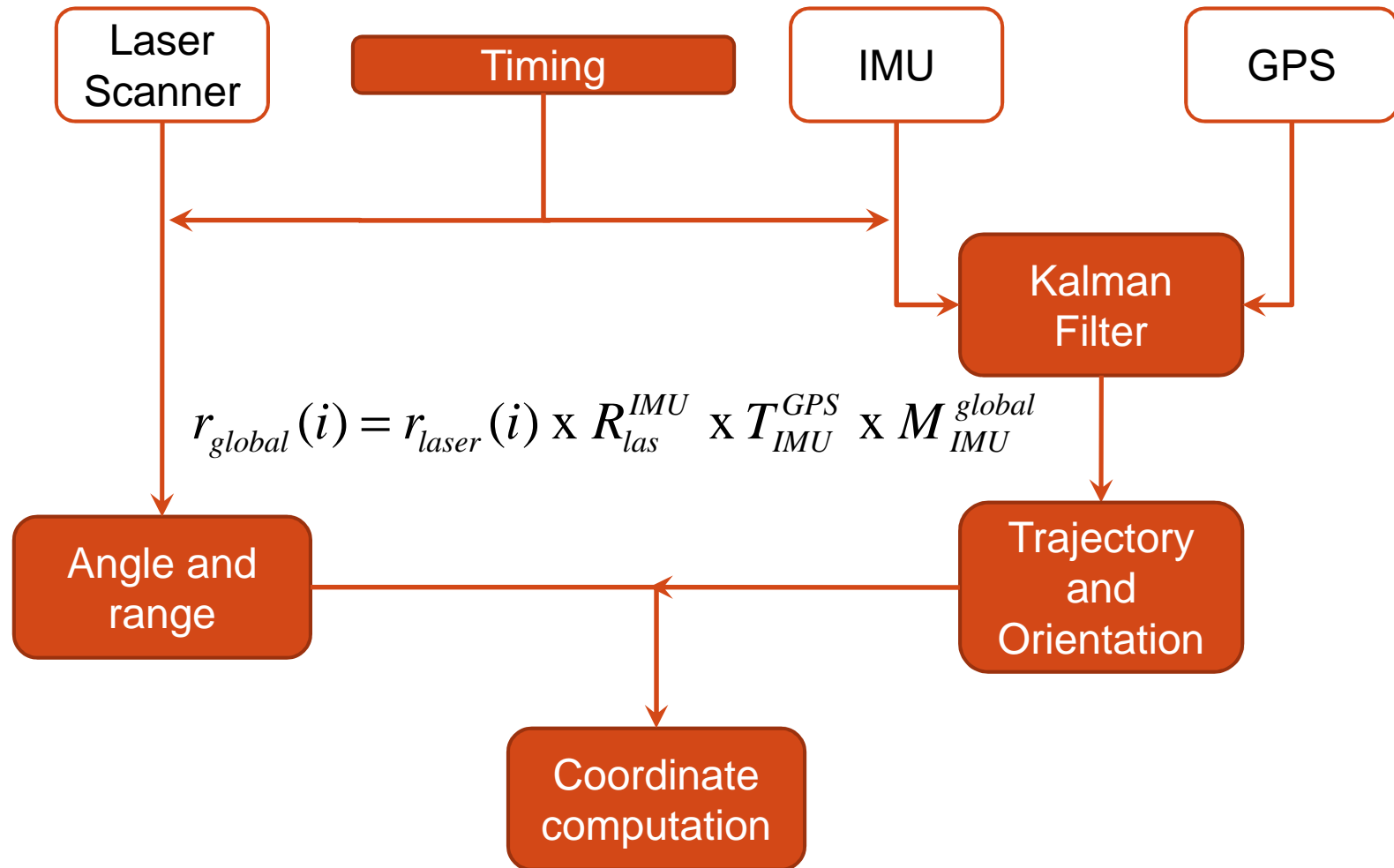


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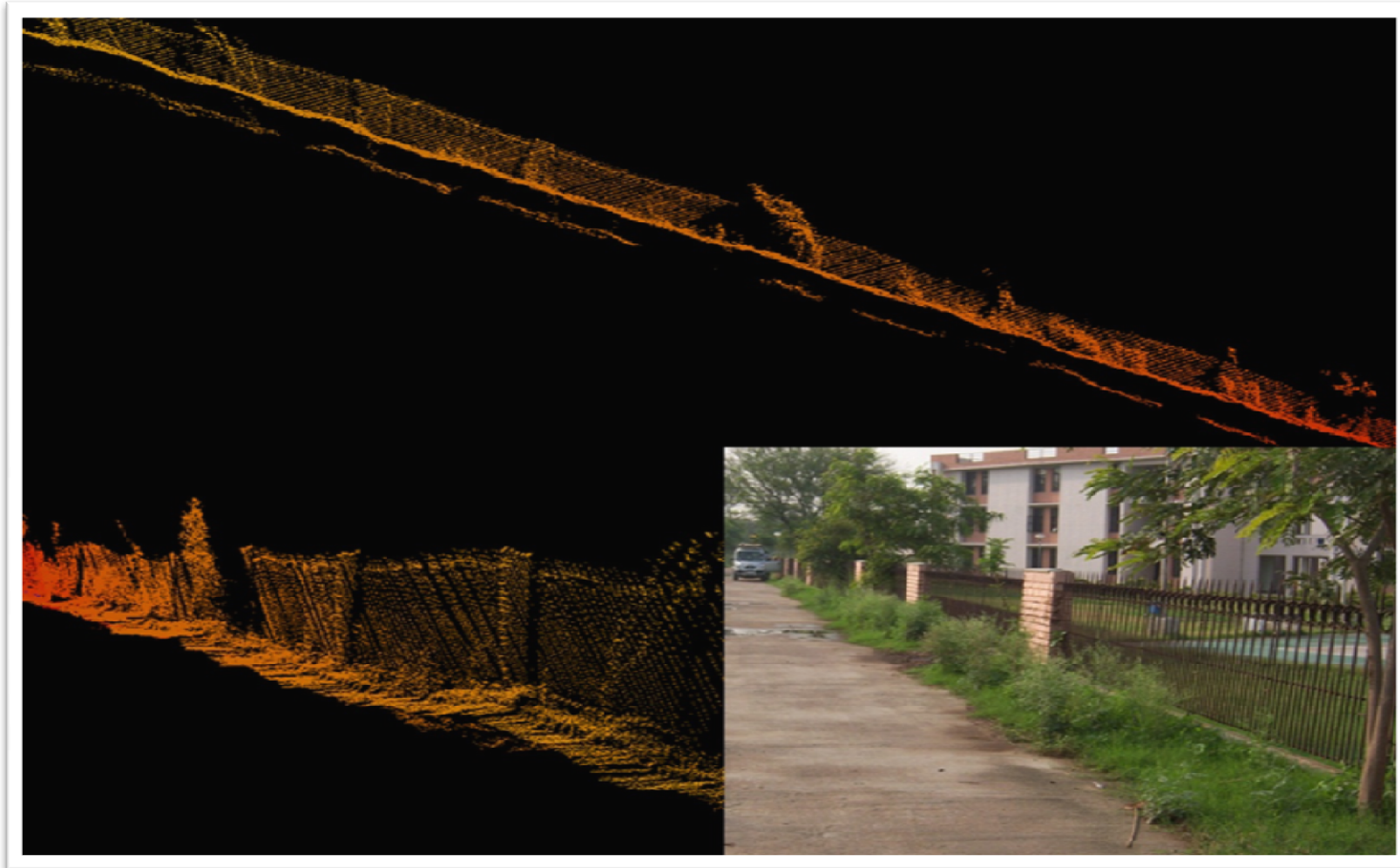
Flow

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Results

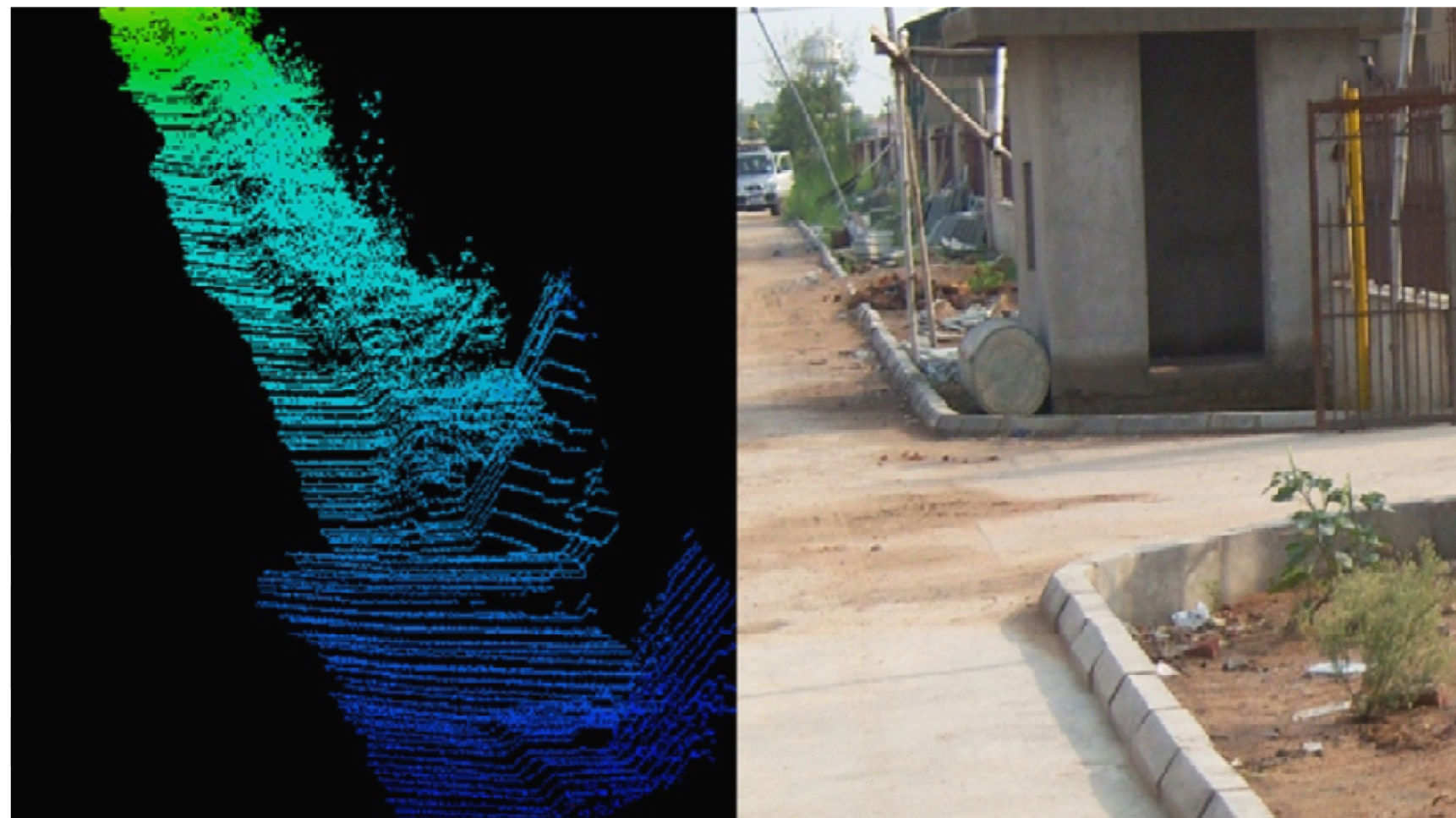
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Results

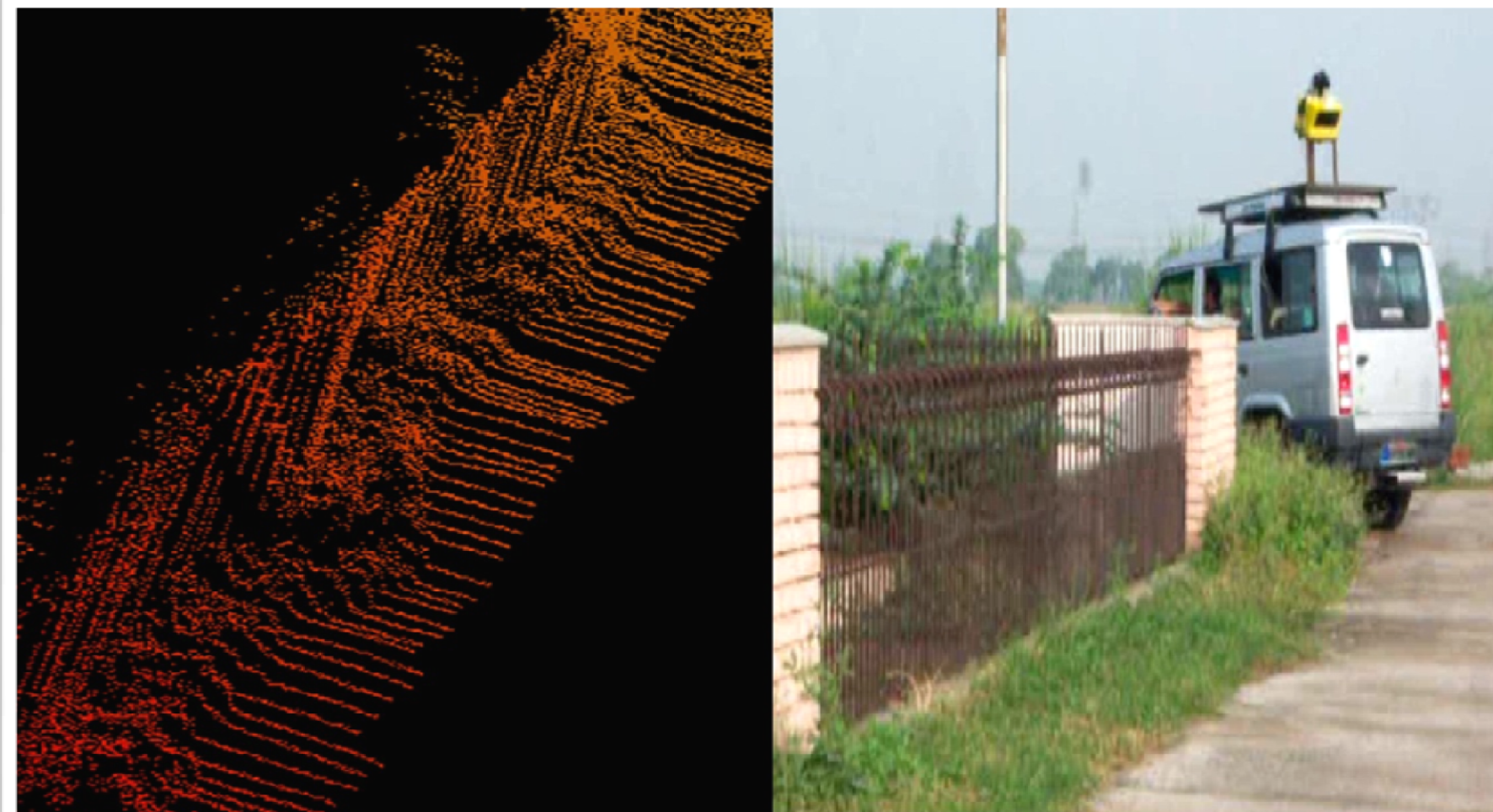
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Results

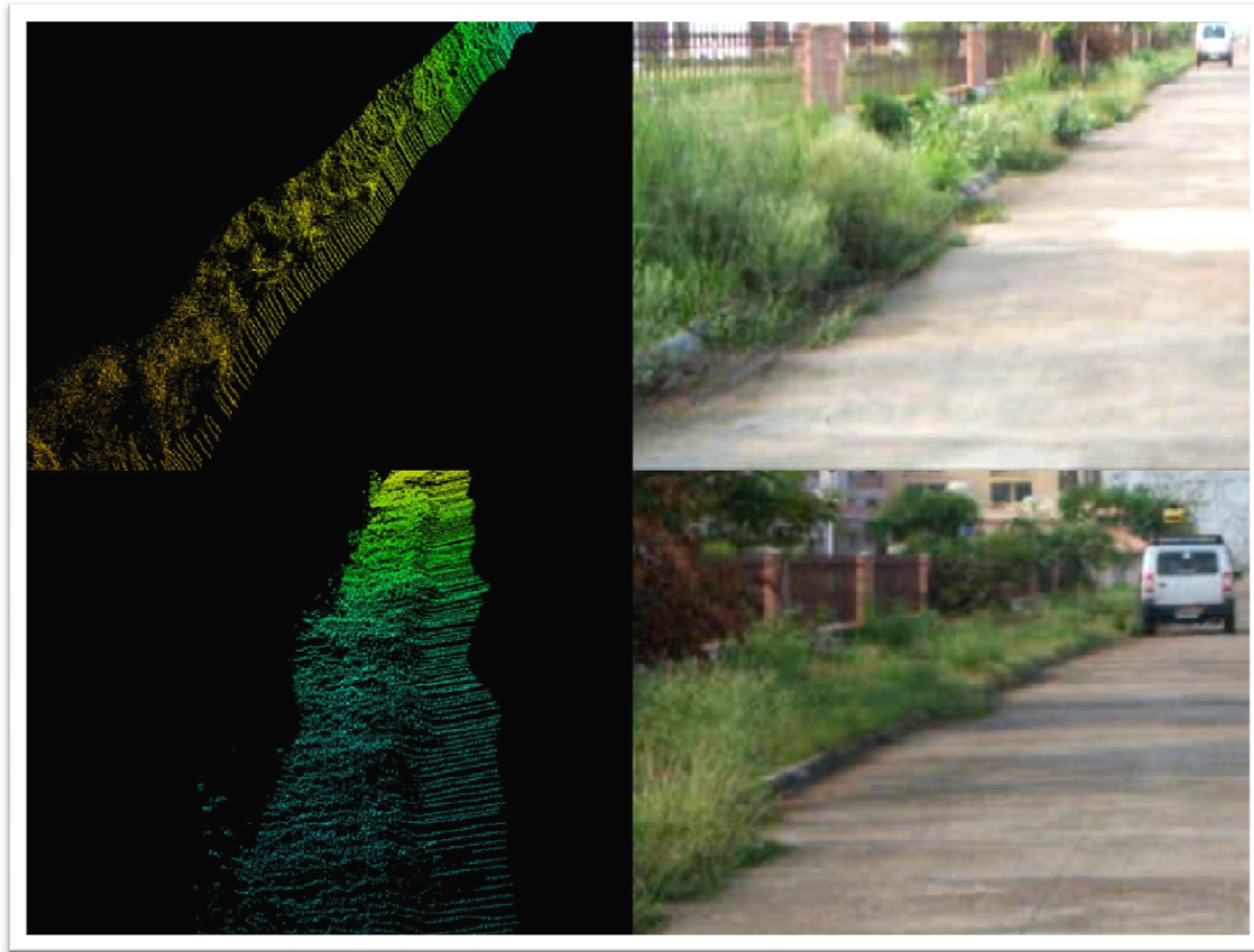
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Results

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Conclusive remarks

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- ❑ Developed methodology for calibration and integration of the system.
- ❑ Developed complete set of equations for calibration and computations.
- ❑ Developed software for processing of data captured by mobile mapping system.
- ❑ Realized a complete land based mobile mapping system.



What's for me?

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Thank you!

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